$\frac{\text{LESSON 3-2}}{\text{CALCULATOR DIFFERENTIATION}} \xrightarrow{\text{PRODUCT AND QUOTIENT RULES.}}{\text{CALCULATOR DIFFERENTIATION}}$ $\frac{\text{Product Rule:}}{dx} \left(\frac{d}{dx} (f(x) \cdot g(x)) = f(x)g'(x) + g(x)f'(x) \text{ or } \left[\frac{d}{dx} (f \cdot s) = fs' + sf' \right] \right)$ $\frac{\text{Quotient Rule:}}{dx} \left(\frac{d}{dx} \frac{f(x)}{g(x)} = \frac{g(x)f'(x) - f(x)g'(x)}{(g(x))^2} \text{ or } \left[\frac{d}{dx} \frac{t}{b} = \frac{bt' - tb'}{b^2} \right] \right)$ $\frac{\text{Examples: Differentiate.}}{1. f(x) = (3x^2 - 2)(2x + 3) 2. y = \frac{2x^2 - 4x + 3}{2 - 3x} 3. y = \frac{-9}{5x^2} = -\frac{-9}{5} \times^{-2}$ $P.R: f'(x) = (3x^2 - 2)(2) + (2x + 3)(6x) + (2x^2 - 4x + 3)(-3) + (2x^2 - 4x +$

 $\frac{DV}{f(x)} = 6x^3 + 9x^2 - 4x - 6$ $f'(x) = 18x^2 + 18x - 4$

Calculator Differentiation

A TI-83 calculator can be used to find the value of a derivative at a specific point using $\frac{dy}{dx}$ in the calculate menu or <u>nDeriv in the math menu</u>. It can also graph the derivative of a given function using <u>nDeriv in the math menu</u>. Since <u>nDeriv</u> works for both of these situations, and in some situations is more accurate, it is the recommended method. 4. If $f(x) = x^3 + 3^x$, find f'(2). Calculator $\frac{dy}{dx} = 21.887$ or 21.888

 $f'(2) = nDeriv(x^3 + 3^x, x, 2) = 21.887$ or 21.888

5. If $g(x) = \ln(x^2 - 3)$, find g'(2), g'(4), and sketch a graph of g'(x). Hint: To save time and avoid confusing parentheses, let $y_1 = \ln(x^2 - 3)$.

$$g'(2) = nDeriv(y_1, x, 2) = 4.000$$

g'(4) = .615

-4.7

3.1

-3.1

To graph g'(x), let $y_2 = nDeriv(y_1, x, x)$. Zoom decimal

6. If
$$f(x) = |x|$$
, find $f'(0)$.

f'(0) oes not exist in spite of what the calculator suggests(sharp turn)

Q.R: $y' = \frac{(5x^2)(0) - (-9)(10x)}{(5x^2)^2}$

 $=\frac{90x}{25x^4}=\frac{18}{5x^3}$

4.7